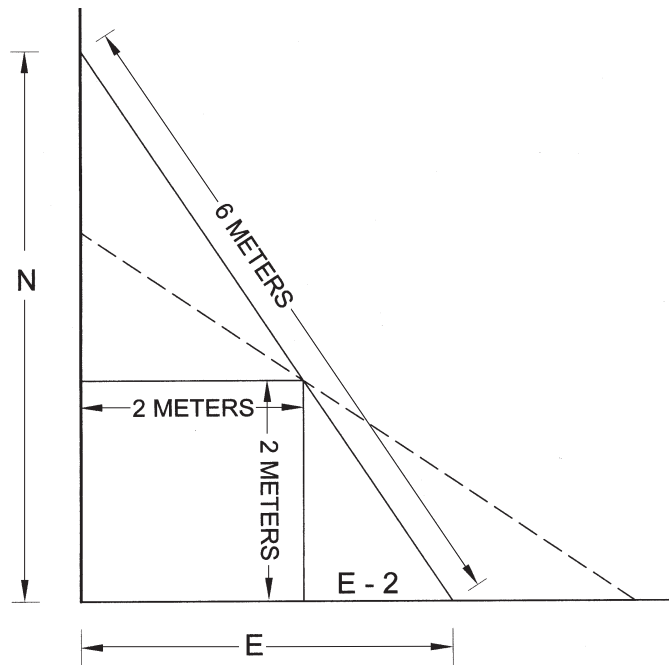


problem corner solution

Solution to
Problem
140

by Dave Lindell, L.S.



$$\frac{N}{E} = \frac{2}{(E-2)}$$

$$N = \frac{2E}{(E-2)}$$

$$N^2 + E^2 = 6^2$$

$$\frac{(2E)^2}{(E-2)^2} + E^2 = 36$$

Expanding and rearranging, $E^4 - 4E^3 - 28E^2 + 144E - 144 = 0 = f(E)$

Using the Newton-Raphson method to solve, where

$$X_{(n+1)} = X_n - \frac{f(X_n)}{f'(X_n)}$$

$$f'(E) = 4E^3 - 12E^2 - 56E + 144$$

$$\text{Letting } E_0 = 3, E_1 = 3 - \frac{81 - 108 - 252 + 432 - 144}{108 - 108 - 168 + 144} = 3.375$$

$$E_2 = 3.375 - \frac{129.7463379 - 153.7734375 - 318.9375 + 486 - 144}{153.7734375 - 136.6875 - 189 + 144} = 3.340444$$

$$E_3 = 3.340444 - \frac{124.5135978 - 149.0982609 - 312.4398513 + 481.023936 - 144}{149.0982609 - 133.9027934 - 187.064864 + 144}$$

$$E = 3.3404$$

Note that $6^2 - 3.3404^2 = 4.9841^2$, the other possible position of the ladder as shown by the dashed line in the problem.

Solution to
Problem

141

by Benjamin Bloch, Ph.D.

The answer to every operation a) through e) is **9**. This is so because any product that contains a factor of 9, such as in problems a), b), and d) or that contains a factor that has an SDQ of 9, such as in problems c) and e), are just multiples of 9. e) $1.80 \times 6^{11} = 653034700.8 \Rightarrow 36 \Rightarrow \mathbf{9}$.

Rule: Any multiple of 9 has an SDQ of **9**