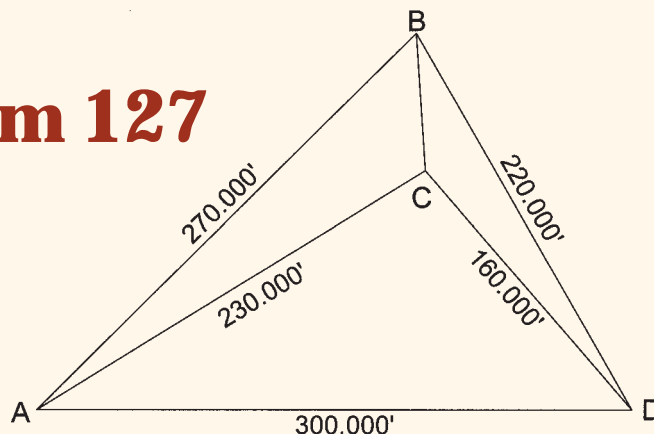




PROBLEM CORNER

Solution to Problem 127



Solving for angles in the triangles by the Law of Cosines,

$$\text{Angle B-A-D} = 45^{\circ}01'32.35''$$

$$\text{Angle B-D-A} = 60^{\circ}15'01.04''$$

$$\text{Angle A-B-D} = 74^{\circ}43'26.61''$$

$$\text{Angle C-A-D} = 31^{\circ}47'17.99''$$

$$\text{Angle C-D-A} = 49^{\circ}13'20.53''$$

$$\text{Angle A-C-D} = 98^{\circ}59'21.48''$$

Letting Point A be North = 0 and East = 0, Point D is North = 0, East = 300.000

By distance–distance intersection or by traversing,

Point C is North = 121.16002, East = 195.50000 and

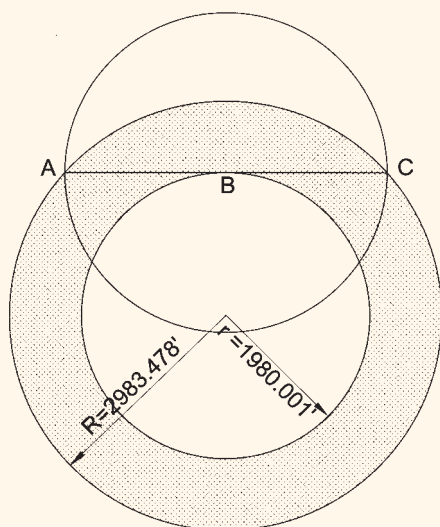
Pont B is North = 191.00429, East = 190.83333

$$BC^2 = (191.00429 - 121.16002)^2 + (195.50000 - 190.83333)^2$$

$$BC^2 = 4878.222052 + 21.777809 = 4899.99986$$

$$BC = 69.9999990, \text{ almost an integer too!}$$

Solution to Problem 128



Let P be the radius point of the annulus.

$$\text{The area of the annulus is } \pi R^2 - \pi r^2 = \pi (R^2 - r^2)$$

$$PB = r \text{ and } PC = R$$

$$BC^2 = PC^2 - PB^2 = R^2 - r^2 = \text{radius of circle A-C.}$$

The area of the circle AC is therefore $\pi(R^2 - r^2)$, same as the annulus.

(The numerical values given are for people who like to draw and calculate.)